BCV301

	N	lodel	Quest	tion	Paper	-1/2	<b>2 w</b> i	ith	effe	ct fro	m 20	22-23	G (CE	BCS 20	22 S	cheme)
USI	N															
		T	hird S	Sem	ester			U		C		C	ee I	Exami	nati	0 <b>n</b>
TIME	Strength of Materials         TIME: 03 Hours								Max. Marks:							
N	ote:	01	Answ MOI			full	ques	tions	s, cho	osing a	ıt least	ONE o	luesti	on from	each	
		I			Mod	ule -1	L						Tax	loom's conomy Level	CO	s Marks
Q.01	a		the exp ted to ar		n for ext load P	ensio	n of 1	rectar	ngula	r taperir	ng bar		L3		1	07
	b	Explain the terms: (i) Modulus of Elasticity (ii) Modulus of rigidity (iii) Poisson's ratio							L1		1	03				
	c	Fig. Q deform for Alu	1(c). De nation in 1minum	termin the b is 70 bar at	pped por ne the ma ar does n GPa. Lar re 40 mm	ignitu ot ex ge er	ide of ceed id dia 12.5	f forc 1 mn imete	e P, s n. E f er and respe	or steel small e	t the ne is 200	t GPa, E	L3		1	10
						R										
Q.02	a b	A 18 n 26 mm m long The nu temper induce	nm diam diamet and is a ts are ti rature of d in cop	neter s er (int closed ghtene assen pper ar	n for circ teel rod j ernal) an at each ed lightly nbly is ra d steel. 7 .05X10 <sup>5</sup>	Dasses d 38 end b on th ised Take	s cent mm e y rigi he pro by 80 $\alpha_{cu}=$	trally externed d pla otecti 0°C, c	thro nal di ntes o ing pa calcul	ameter. f negligit arts of that ate there	The roo ible thic ne rod. 1 mal stre	d is 2.6 ckness. If the esses	L3 L2		1	10 10
					Mod	ule-2										
Q. 03	a	sketch	?		nt types of			-		-	in with	a neat	L1		2	08
	b	Draw	A A		Fig.	B I	sit		Fig.	$ \int_{m}^{24} D $	2		L2		2	12
0.04		Domin	the rel-	tional		DR	ad -1	haar	fores	and have	ding	omart	1.2		2	06
Q.04	а	Derive	ine rela	uionsf	nip betwe	en Io	aa, si	near 1	iorce	and ben	iding m	oment	L2		2	06

Draw BMD and SFD for the beam shown in Fig. 4(b). Indicate the maximum bending moment and its location. Also show the point of contra flexure. $A_{\text{maximum}} = \frac{3}{3m} = \frac{3}{2m} = \frac{3}{4m} = \frac{3}{5m} = $	L2	2	14
A min B c 3 stor			
3m 2m m			
they shall in find in			
Fig.Q4(b)			
Module-3			
What are the assumptions of simple bending?	L1	3	05
Derive the Bernoulli's equation for bending stress	L2	3	10
A rectangular beam 250 mm depth and 150 mm width is simply	L2	3	05
supported with a span of 8 m. What UDL per meter the beam can carry			
if the bending stress is not to exceed 140 N/mm <sup>2</sup>			
OR			
Derive an expression for shear stress?	L2	3	10
A beam with an I-section consists of 180x15 mm flanges and curb of	L2	3	10
stress and snear stress distribution along the depth of section ?			
Module-4			
Derive the relationship between slope, deflection and radius of curvature?	L2	4	10
A simply supported beam spanning 8 m carries a concentrated loads of	L3	4	10
· · · · · · · · · · · · · · · · · · ·			
Assume E = 200 GPa and I = $20 \times 10^8$ mm <sup>4</sup>			
OR			
Differentiate between short and long column	L1	4	4
Describe the limitation of Euler's theory	L1	4	4
Find Euler's load for a column 40 mm x 50 mm $C/S$ and 2 m long if	13		12
	LJ	4	12
yield stress in compression is 320 N/mm <sup>2</sup> , $\alpha = 1/7500$			
Module-5			
Show that the planes of maximum shear stresses are inclined at $45^{\circ}$	L2	5	06
with the principal planes			
with the principal planes The state of stress in a two-dimensionally stressed body is shown in	L2	5	14
with the principal planes	L2	5	14
	What are the assumptions of simple bending?         Derive the Bernoulli's equation for bending stress         A rectangular beam 250 mm depth and 150 mm width is simply supported with a span of 8 m. What UDL per meter the beam can carry if the bending stress is not to exceed 140 N/mm <sup>2</sup> OR         Derive an expression for shear stress?         A beam with an I-section consists of 180x15 mm flanges and curb of 280 mm depth and 15 mm thickness. It is subjected to a bending moment of 120 kN-m and shear force of 60 kN. Sketch the bending stress and shear stress distribution along the depth of section ?         Module-4         Derive the relationship between slope, deflection and radius of curvature?         A simply supported beam spanning 8 m carries a concentrated loads of 60 kN and 30 kN at distances of 2 m and 4 m from left support. Determine <ul> <li>(i) the slope at the ends</li> <li>(ii) The location and magnitude of maximum deflection Assume E = 200 GPa and I = 20x10<sup>8</sup> mm<sup>4</sup></li> <li>OR</li> <li>Differentiate between short and long column</li> <li>Describe the limitation of Euler's theory</li> </ul> <li>Find Euler's load for a column 40 mm x 50 mm C/S and 2 m long, if one of its end is fixed and other end is hinged. E for the material of the column is 200 N/mm<sup>2</sup>. Find Rankine's load in the above case, if the</li>	What are the assumptions of simple bending?L1Derive the Bernoulli's equation for bending stressL2A rectangular beam 250 mm depth and 150 mm width is simply supported with a span of 8 m. What UDL per meter the beam can carry if the bending stress is not to exceed 140 N/mm²L2OR0Derive an expression for shear stress?L2A beam with an I-section consists of 180x15 mm flanges and curb of 280 mm depth and 15 mm thickness. It is subjected to a bending 	What are the assumptions of simple bending?L13Derive the Bernoulli's equation for bending stressL23A rectangular beam 250 mm depth and 150 mm width is simply supported with a span of 8 m. What UDL per meter the beam can carry if the bending stress is not to exceed 140 N/mm²L23ORL23Derive an expression for shear stress?L23A beam with an I-section consists of 180x15 mm flanges and curb of 280 mm depth and 15 mm thickness. It is subjected to a bending moment of 120 kN-m and shear force of 60 kN. Sketch the bending stress and shear stress distribution along the depth of section ?L23Module-4Derive the relationship between slope, deflection and radius of curvature?L34ORL24Detive the relationship between slope, deflection and radius of curvature?L24Module-4Determine (i) the slope at the ends (ii) The location and magnitude of maximum deflection Assume E = 200 GPa and I = $20x10^8$ mm <sup>4</sup> L14ORDifferentiate between short and long columnL14Describe the limitation of Euler's theoryL14ORL2A simply supported beam spanning 8 m carries a concentrated loads of 60 kN and 30 kN at distances of 2 m and 4 m from left support. Determine (i) the slope at the ends (ii) The location and magnitude of maximum deflection Assume E = 200 GPa and I = $20x10$

		120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120N)ma 120			
		OR			
Q. 10	a	Show that in a thin cylinder the hoop stress is twice the longitudinal stress	L3	5	08
	b	What area the assumptions made in Lame's equation? Derive Lame's equation	L2	5	12